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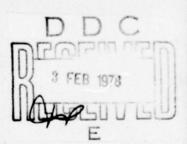


THE STATISTICAL THEORY OF THE SCALE FACTOR

by

T. A. Kontorova





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# UNEDITED MACHINE TRANSLATION

FTD-ID(RS)T-1263-77

29 July 1977

MICROFICHE NR: 74D-77-C-00 1049

THE STATISTICAL THEORY OF THE SCALE FACTOR

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English pages: 19

Source: Sbornik Dokladov po Dinamicheskoy Prochnosti Detaley Mashin, Izd-vo Akademii Nauk SSSR, Moscow-Leningrad,

1946, pp 178-184

Country of origin: USSR

This document is a machine translation

Requester: AFFDL/FBRD

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Пп	Пп	P, p	Яя	Яя	Ya, ya

<sup>\*</sup>ye initially, after vowels, and after b, b; e elsewhere. When written as ë in Russian, transliterate as yë or ë. The use of diacritical marks is preferred, but such marks may be omitted when expediency dictates.

#### GREEK ALPHABET

Alpha	Α	α			Nu	N	ν	
Beta	В	β			Xi	Ξ	ξ	
Gamma	Γ	Υ			Omicron	0	0	
Delta	Δ	δ			Pi	Π	π	
Epsilon	E	ε	•		Rho	P	ρ	•
Zeta	Z	ζ			Sigma	Σ	σ	4
Eta	Н	η			Tau	T	τ	
Theta	Θ	θ	\$		Upsilon	T	υ	
Iota	I	ι			Phi	Φ	φ	φ
Kappa	K	n	K	*	Chi	X	χ	
Lambda	Λ	λ			Psi	Ψ	Ψ	
Mu	M	μ			Omega	Ω	ω	

#### RUSSIAN AND ENGLISH TRIGONOMETRIC FUNCTIONS

Russ	sian	English
sin		sin
cos		cos
tg		tan
ctg		cot
sec		sec
cose	ec	csc
sh		sinh
ch		cosh
th		tanh
cth		coth
sch		sech
esel	n	csch
arc	sin	sin <sup>-1</sup>
arc	cos	cos <sup>-1</sup>
arc	tg	tan-1
arc	ctg	cot-1
arc	sec	sec-1
arc	cosec	csc <sup>-1</sup>
arc	sh	sinh <sup>-1</sup>
arc	ch	cosh-1
arc	th	tanh-1
arc	cth	coth <sup>-1</sup>
arc	sch	sech-1
arc	csch	csch <sup>-1</sup>
		_
rot		curl
lg		log

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THE STATISTICAL THEORY OF THE SCALE FACTOR.

T. A. Kontorova.

Introduction.

At these experimental conditions the so-called ductile-to-brittle transition temperature, i.e., the temperature, which corresponds to the transition of crystal material from brittle state to plastic, is determined first of all by the value of its brittle strength.

Recall that, according to Joffe's circuit, the ductile-to-brittle transition temperature is the abscissa of the point of intersection of the curve, which characterizes the temperature dependence of yield point, with the straight line whose position on this same diagram is determined by the numerical value of the brittle strength of crystal. From this circuit it follows that, independent of experimental conditions, each this material always must answer one and the same value of ductile-to-brittle transition

temperature T.

More detailed experimental research on the conditions of the emergence of the brittle state of real crystals showed, however, that the position of ductile-to-brittle transition temperature significantly depends on the rate of the strain of specimen/samples.

By a series of the researchers establish/installed that an increase in the rate will entail increase  $T_c$ . Simultaneously it turned out that the material can be transferred into "brittle" state also at constant temperature of experiment because of an increase in the rate to certain critical value  $v_c$ . The numerical ratio between velocity  $v_c$  and the temperature of experiment T was for the first time establish/installed by Vitman [1], that showed that during dynamic testing steel specimen/samples is justified well the law

$$v_{\bullet} = ae^{-\frac{b}{T}}, \qquad (1)$$

where a and b - constant.

We have examined the theoretical side of the question concerning the reasons for the effect of the rate on the tendency of crystals toward brittle fracture [2]. In this case it was established that the critical speed of deformation  $v_{ij}$ , corresponding to the transition of material to brittle state, must be bonded with the temperature of experiment T by the relationship/ratio

$$v_c = \frac{F}{\eta} = \frac{F}{\eta_0} e^{-U/kT}, \qquad (2)$$

where F - brittle strength,  $\eta = \eta_0 e^{iT}$  - the ficticious coefficient of the ductility/toughness/viscosity of material, U - the activation energy, determining the rate of the process of relaxation in crystal lattice.

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This relationship/ratic is in good accord with empirical formula (1). We will use it for the determination of the analytical dependence of ductile-to-brittle transition temperature T, from the value of brittle strength F.

Taking the logarithm of (2), at this constant value of the velocity of deformation v we obtain

$$T_c = \frac{A}{\lg F + B},\tag{3}$$

where A and B - constant, whereupon  $A = \frac{U}{k}$ ,  $B = \lg(m_k)$ . From formula (3) it follows that decrease in the strength of material P must lead to an increase in its ductile-to-brittle transition temperature, i.e., at the beginning of brittle fracture in the range of higher temperatures.

Experimental research on the conditions of the transition of crystal bodies from brittle state to plastic showed, however, that this transition never occurs at the strictly defined value of temperature, but it is realize/accomplished in certain temperature interval, named the transformation range of brittleness. The detailed study of this interval was for the first time carried out by Davidenkov, Vitman and Sakharov [3] and somewhat later by Vitman and Salitra [4], that studied the conditions of the cold brittleness of steel specimen/samples.

The existence of the transformation range of brittleness naturally was in this case bonded from themes by the fact that the brittle strength, determining the position of ductile-to-brittle transition temperature, is not a constant value, but it is changed from one specimen/sample to the next as a result of heterogeneous structure of real crystal material.

In recent years in Davidenkov's laboratory in the L.I.P.T. was conducted systematic research on the character of the effect of different factors on the transformation range of the brittleness of steel.

In the first part of the present report were presented the results of the experiments of Vitman [5], which showed that the position of the boundary/interfaces of this interval is subjected to the effect of the so-called "scale" factor, whereupon the width of a wery interval of brittleness was different for the specimen/samples of different size/dimension.

Investigating the form of fracture of the cylindrical steel specimen/samples of different diameter during deformation by their percussive elongation, Vitman reveal/detected that an increase in the diameter of specimen/samples is accompanied by the shift both of lower and upper boundary of an interval of brittleness to the side of higher temperatures. In this case an increase of the diameter of specimen/samples from 2 to 10 mm leads to an increase in lower boundary of an interval of  $T_{n/n}$  by 60° (from -160 to -100°), whereas upper boundary  $T_{m,1\chi}$  is misaligned altogether only to 15° (from -100 to -85°C). As a result of this nonuniform shift of boundary/interfaces the width of the transformation range of brittleness is decreased from 60 to 15°.

With an increase in the size/dimensions of specimen/samples their tendency toward brittle fracture it begins, thus, to be developed with ever more and higher temperatures, but the temperature range, in which can be observed both brittle and plastic form of

fracture, becomes narrow.

The target/purpose of the present report/communication is theoretical studies of the reasons for a similar character of the effect of scale factor on the behavior of the transformation range of brittleness in light of the developed by us previously statistical theory of the brittle strength of real crystals [6.7].

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QUALITATIVE SOLUTION TO QUESTION.

At the basis of this theory lie/rests the assumption about the fact that in real crystal material are flaw/defects of the different hazard level, randomly distributed by its volume, and that for the brittle fracture of each of the specimen/samples heavy-duty/critical is only one, most dangerous of all being present in it flaw/defects.

Already some these purely good-quality representations it proves to be sufficiently in order to understand the reasons for the effect of scale factor on the transformation range of brittleness and to confirm that with an increase in the size/dimensions of the specimen/samples:

- both boundary/interfaces of this interval must be misaligned to the side of high temperatures,
- 2) the shift of lower boundary of an interval  $\mathcal{T}_{min}$  must be sharper, rather than the shift of upper boundary  $\mathcal{T}_{max}$  as a result of which the transformation range of brittleness will be narrowed.

If the spread of the values of critical temperatures, i.e., the very existence of the transformation range of trittleness, is caused by the presence of the scatter of the practical values of brittle strength P within limits from certain  $F_{min}$  to certain  $F_{max}$  then, according to (3), the position of upper boundary of an interval  $T_{max}$  will be determined by the relationship/ratio

$$T_{\text{max}} = \frac{A}{\lg F_{-\ln} + B},\tag{4}$$

the position of lower boundary  $T_{pr/n}$  - by the analogous relationship/ratio

$$T_{\min} = \frac{A}{\lg F_{\max} + B}.$$
 (5)

On the basis of the representation of that which for the brittle fracture of material heavy-duty/critical is only the most dangerous of all available in this specimen/sample flaws, it is possible to

confirm that an increase in the volume of specimen/samples must involve a fall in the numerical values both  $F_{min}$  and  $F_{max}$  since with an increase in the size/dimensions of specimen/samples grow/rises probability that in each of them will be met the flaw/defects, even more dangerous, rather than it is earlier.

Fall  $F_{m/m}$  and  $F_{max}$  and, correspondingly, shift  $T_{max}$  and  $T_{m/m}$  to the side of high temperatures [see (4) and (5)] probably however, not identical, since values themselves  $F_{m/m}$  and  $F_{max}$  are determined by completely different conditions. Actually, it is the brittle strength of that of all subjected to testing specimen/samples of the given size/dimension, in which accidentally located most dangerous of all being present in these specimen/samples flaw/defects.

Fall  $F_{m/n}$  can therefore occur only in that case if as a result of an increase in the volume of specimen/samples in them appear the flaw/defects completely new, of the worse "quality", i.e., only in such a case, when is expanded the very "assortment" of the flaws, which are contained in the total the volume of material being investigated.

If number of experiments, conducted during the determination of the brittle strength of material, in each individual case is sufficiently great, then this expansion of the "assortment" of flaws one should relate to events little protable.

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The bonded with it shift of lower boundary of an interval of the possible values of brittle strength  $F_{min}$  and, consequently, also the upper limit of the transformation range of brittleness  $\mathcal{T}_{max}$  must not be therefore considerable.

As concerns  $F_{max}$  this value it is brittle strength the strongest made of all subjected to testing specimen/samples, i.e., the strength of that specimen/sample, in which most dangerous of all being present in it flaws turned out to be less "dangerous", rather than the most dangerous flaws in each of all remaining specimen/samples.

Shift  $F_{max}$  to the side of the low value of F is bonded therefore not with the expansion of the common/general/total assortment of flaw/defects in all specimen/samples, together taken, but only with the expansion of the batch of flaws in each of the specimen/samples individually.

The latter unavoidably must, however, accompany an increase in the volume of specimens, even under the condition of the invariability of the batch of flaws in an entire mass of material. Scale factor must therefore have a considerably more noticeable effect on shift  $F_{max}$  and, correspondingly,  $T_{min}$  rather than for shift  $F_{min}$  and  $T_{max}$ .

These good-quality considerations wonderfully are confirmed by experimental data of Vitman.

The statistical theory of brittle strength.

If for the brittle fracture of crystal bears responsibility "dangerous itself" of all being present in it flaw/defects, then from the point of view of determining the brittle strength of material there is practical interest in only the question concerning are such the parameters, which characterize this most dangerous flaw/defect.

As the parameter, which characterizes the degree of the danger of each of the being present in material unhomogeneity, we will select the value of brittle strength P, which would possess the specimen/sample if the source of its fracture they was this unhomogeneity.

With the aid of the very elementary considerations of theory of probability it is possible to show that probability W (F) dF that that the brittle strength, which corresponds to the most dangerous flaw/defect, i.e., the strength of specimen/sample as a whole, will turn out to be that which lie at an interval between F and F + dF, will be determined by the function

$$W(F) dF = \overline{N}VCe^{-x(F_0 - F)^2} \left[ 1 - \frac{e^{-x(F_0 - F)^2}}{2\sqrt{\pi a}(F_0 - F)} \right]^{\overline{N}T} dF,$$
 (6)

where  $P_0$  - the value of brittle strength, which corresponds to the most frequently being encountered flaw/defect, i.e., to the flaw/defect of the "average/mean hazard level", N - the average number of flaw/defects, which is necessary per unit volume of material, V - the volume of specimen/sample,  $\alpha$  and C - constant.

Relationship/ratio (6) testifies from that that probability W

(F) dF meeting of one value or the other of the strength of specimen/sample, determined upon consideration of all numerous material defects, depends not only on the value of strength itself F, but also on the volume of specimen/sample of V.

It is easy to show, further that the most probable strength F\* the group of the specimen/samples of volume of V, i.e., the strength,

which is determined by the condition

$$\frac{\partial W}{\partial F} = 0$$
,

also is function of V. With an increase in the volume of specimen/samples of V it diminishs according to the law

$$F^* = F_0 - \sqrt{C_1 \lg V + C_2}. \tag{7}$$

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EFFECT OF SCALE FACTOR ON THE SCATTER OF THE PRACTICAL VALUES OF BRITTLE STRENGTH.

At this constant value V dependence of probability W (F) dF
meeting of certain determined brittle strength F on value itself F
will be depicted as the asymmetric curve, given in Fig. 1. On the
axis of abscissas is noted the position of the most probable strength
F\*, and also strengths / , the corresponding to flaw/defect
waverage/mean danger\*.

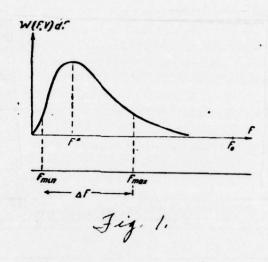
After manufacturing the infinite number of experiments regarding the brittle strength of the specimen/samples of certain specific size/dimension, we would be obtained, after all, all points of the theoretical curve of Fig. 1. In actuality, we always have, however, matter with the finite number of experiments and practical interest for us it represents only the range of the most frequently being encountered values of strength F, i.e., the range of values F, of close to F\*. The approximate position of upper and lower boundaries of this range  $F_{max}$  and  $F_{min}$  is shown in Fig. 1. Difference  $F_{max} - F_{min} = \Delta F$  is the effective width of the maximum of the distribution curve of the possible values of brittle strength.

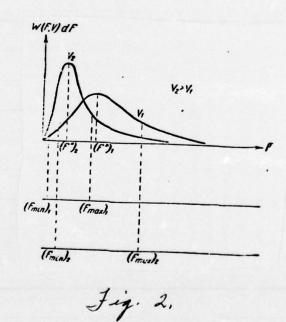
The curve, given in Fig. 1, illustrates the behavior of function W (F) dP for the specimen/samples of intended sizes. During a change in the volume of specimen/samples the range of the procedurally important values of strength F is misaligned. The relative attitude of the curves of W (F) dF, which correspond to two different values of volume  $V_1$  and  $V_2$ , where  $V_2 > V_1$ , it is represented in Fig. 2.

Increase in V will entail the shift of the most probable strength F\* to the side small F [see formula (7)] during a simultaneous increase in the probability of meeting P = P\*. The latter means that an increase in the volume of specimen/samples leads to decrease in the scatter of the values of brittle strength near the most probable strength F\*.

With respect is changed the position of upper and lower

boundaries of this range  $F_{m,n}$  and  $F_{m,n}$ . Schematically the shift  $F_{m,n}$  and  $F_{m,n}$ . According to the volume of specimen/samples of V, it is noted in Fig. 2 under the plotted function W (F) dF.





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From the figure follows that decrease in the scatter of the procedurally important values of brittle strength is explained by the preferred displacement/movement of upper boundary  $F_{MAX}$  the range of the maximum of the distribution curve of the possible values of F in question.

The analytical dependence  $F_{max}$  and  $F_{min}$  on the volume of specimen/samples of V can be found on the basis of the following simple considerations.

If we define  $F_{max}$  and  $F_{m/n}$  as upper and, correspondingly, lower the boundary of the region, in which are included the most frequently being encountered in practice values of brittle strength F, then this means that the probability of the meeting of values F, exceeding  $F_{max}$  but it is equal also values F less  $F_{m/n}$  is small.

We will assume in connection with this:

$$\int_{F_{\max}}^{F_0} W(F) dF = \gamma, \quad \int_{0}^{F_{\min}} W(F) dF = \gamma, \tag{8}$$

where y << 1.

These relationship/ratios will give us possibility to

establish/install interesting us quantitative communication/connection between  $F_{m,\eta}$  and  $F_{max}$  and value of V.

After using formula (6), which determines function W(P) dP, after approximative integration we obtain

$$\left(1 - \frac{e^{-\alpha F_0 \tau}}{2\sqrt{\pi x}F_0}\right)^{\overline{N}\overline{V}} - \left[1 - \frac{e^{-\alpha (F_0 - F_{\min})^2}}{2\sqrt{\pi x}F_0}\right]^{\overline{N}\overline{V}} = \gamma,$$

$$\left[1 - \frac{e^{-\alpha (F_0 - F_{\max})^2}}{2\sqrt{\pi \alpha}F_0}\right]^{\overline{N}\overline{V}} = \gamma.$$
(9)

Solving equations (9) relatively  $F_{min}$  and  $F_{max}$  we find

$$F_{\min} \approx \frac{1}{2\pi F_0} \lg \left(1 + \frac{\gamma a}{V}\right),$$

$$F_{\max} \approx \frac{1}{2\pi F_0} \lg \frac{a}{V},$$
(10)

where

$$a = \frac{2\sqrt{\pi 2 F_0} e^{aP_0}}{\overline{N}}.$$

Of relationship/ratios (10) in accordance with the developed above good-quality considerations it follows that an increase in the volume of specimen/samples of V will entail fall both  $F_{m/N}$  and  $F_{max}$ .

These relationship/ratios testify also about the fact that

change in V differently affects position  $F_{m/\eta}$  and  $F_{max}$  causing the relatively sharper shift of upper boundary  $F_{max}$  investigated by us the range of the practical values of brittle strength.

The effective width of the maximum of the distribution curve of the possible values of brittle strength AF will be determined by the expression:

$$\Delta F = F_{\text{max}} - F_{\text{min}} = \frac{1}{2\alpha F_0} \lg \frac{\alpha}{V + \gamma_0}. \tag{11}$$

From (11) it is obvious that an increase in the size/dimensions of specimen/samples is accompanied by decrease in the scatter of the practical values of brittle strength F near its most probable value F\*.

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5.
THE INPLUENCE OF THE SCALE FACTOR ON THE CRITICAL RANGE OF ERITTLENESS

After using establish/installed by us ratics (4) and (5) between the boundary/interfaces of the transformation range of brittleness  $\mathcal{T}_{max}$  and  $\mathcal{T}_{min}$  on one hand, and by the boundaries of the region of the most

frequently being encountered values of brittle strength  $F_{min}$  and  $F_{mix}$ —with another, we we can now find the numerical ratios, which determine the dependence of the position of the boundary/interfaces of the transformation range of brittleness from the size/dimensions of specimen/samples.

Substituting in (5) found by us above approximate value  $F_{m\lambda\chi}$  and, correspondingly, in (4) value  $F_{m/n}$  we obtain

$$T_{\min} = \frac{A}{\lg \lg \frac{a}{V} + b},$$

$$T_{\max} = \frac{A}{\lg \lg \left(1 + \frac{\gamma a}{V}\right) + b},$$
(12)

where constant a it is determined by formula (10), but constants A and b make following sense [see (2) and (3)]:

$$A = \frac{U}{k}, \quad b = -\lg(2\alpha F_0 V_{r_0}).$$
 (13)

The width of the transformation range of brittleness AT is equal to respectively

$$\Delta T = T_{\text{max}} - T_{\text{min}} = A \left[ \frac{1}{\lg \lg \left( 1 + \frac{\gamma_d}{V} \right) + b} - \frac{1}{\lg \lg \frac{\alpha}{V} + b} \right]. \tag{14}$$

Prom relationship/ratics (12) it follows that an increase in the volume of specimen/samples of V must be accompanied by shift Tmax and Tmin to the side of high temperatures. A change in the size/dimensions of specimen/samples ("scale factor") will in this case have a preferred effect on the position of lower boundary of the transformation range of brittleness  $\mathcal{T}_{m,n}$  (recall that the factor  $\gamma$ , entering the determination  $T_{max}$  is much less than the unit). The transformation range of brittleness (14) with an increase in the size/dimensions of specimen/samples will as a result become narrow.

All these conclusions are in full/total/complete accord with the given in the first part of the report experimental data on the tendency of steel specimen/samples toward brittle fracture, which testifies as it seems to us, in favor of the developed above representations of the statistical nature of "scale" effect.

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THE STATISTICAL THEORY OF TH	E SCALE			
FACTOR	E SCALE	Translation  6. PERFORMING ORG. REPORT NUMBER		
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7. AUTHOR(s)		8. CONTRACT OR GRANT NUMBER(*)		
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9. PERFORMING ORGANIZATION NAME AND ADDRESS		10. PROGRAM ELEMENT, PROJECT, TASK AREA & WORK UNIT NUMBERS		
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